

* Digital system :

→ The Physical quantities or signals show only discrete values

* Analog system :

→ The Physical quantities or signals show the continuous spastic range

* Binary digital system

→ two level or Binary value are the most prevalent values.

* Binary values like :-

- 0 and 1
- F and T
- L and H
- on and off.

* Decimal Number system "Base 10"

→ The Power of 10 is implied by digit (coefficient) position.

e.g. 1853

$$\begin{aligned} & \hookrightarrow 1 \times 10^3 = 1000 \\ & \quad 8 \times 10^2 = 800 \\ & \quad 5 \times 10^1 = 50 \\ & \quad 3 \times 10^0 = 3 \end{aligned}$$

1853

* Follow Decimal number system (Base 10)

→ Formal Notation (---)₁₀

$$+d_2 * B^2 + d_1 * B^1 + d_0 * B^0 + d_{-1} * B^{-1} + d_{-2} * B^{-2} + \dots$$

↳ to solve the problem $\boxed{B=10}$ due to it
The Base of system

* Binary Number System (Base 2)

→ Formal Notation (---)₂

→ ex. Convert From Binary to decimal

$$(11010.11)_2$$

$$\begin{aligned} & 2^4 \times 1 + 2^3 \times 1 + 2^2 \times 0 + 2^1 \times 1 + 2^0 \times 0 + 2^{-1} \times 1 + 2^{-2} \times 1 \\ & 16 + 8 + 0 + 2 + 0 + 0.5 + 0.25 \\ & = (26.75)_{10} \end{aligned}$$

* Base 5 Number System

→ Formal Notation (---)₅

ex. Convert From Base 5 to Decimal

$$(4021.2)_5$$

$$\begin{aligned} & 5^3 \times 4 + 5^2 \times 0 + 5^1 \times 2 + 5^0 \times 1 + 5^{-1} \times 2 \\ & = (511.4)_{10} \end{aligned}$$

* Octal Number System (Base 8)

→ Formal Notation (---)₈

* ex. Convert From Octal System to Decimal

$$(127.4)_8$$

$$\begin{aligned} & 8^2 \times 1 + 8^1 \times 2 + 8^0 \times 7 + 8^{-1} \times 4 \\ & = (87.5)_{10} \end{aligned}$$

* Hexadecimal system (Base 16)

→ Formal Notation (---)₁₆

ex. Convert From Hexadecimal to Decimal

B 6 5 F

$$16^3 \times B + 16^2 \times 6 + 16^1 \times 5 + 16^0 \times F$$

$$16^3 \times 11 + 16^2 \times 6 + 16^1 \times 5 + 16^0 \times 15$$

$$= (46,687)_{10}$$

Note: Hexadecimal used to represent long strings

for example $(1011)_2 = (B)_{16} = (11)_{10}$

$$1 \times 2^3 + 0 \times 2^2 + 1 \times 2^1 + 2^0 \times 1$$

$$= (11)_{10} = (B)_{16}$$

* More about Binary system:

→ The digits in a Binary number are called Bits

→ Computer Capacity given in bytes, byte is equal eight Bits

→ Please See slides Number 26 and 27 and 28
Keep (important information)

* Conversions law

to Convert From any system to any system

you must convert to decimal firstly then

convert from decimal to any system

ex. octal → Decimal → Binary

Binary → Decimal → octal

and so on ----

→ examples

• From Decimal to Binary

$$(13)_{10} = (1011)_2$$

| | | | |
|----|--|---|---|
| 13 | | 2 | 1 |
| 6 | | 2 | 0 |
| 3 | | 2 | 1 |
| 1 | | 2 | 1 |

• From Decimal to Binary

$$(0.625)_{10} = (0.101)_2$$

$$\begin{aligned} 0.625 \times 2 &= \boxed{1}.25 \\ 0.25 \times 2 &= \boxed{0}.5 \\ 0.5 \times 2 &= \boxed{1}.0 \end{aligned}$$

• From Decimal to Octal

$$\rightarrow (175)_{10} = (257)_8$$

| | | | |
|-----|--|---|---|
| 175 | | 8 | 7 |
| 21 | | 8 | 5 |
| 2 | | 8 | 2 |

$$\rightarrow (0.3125)_{10} = (0.24)_8$$

$$\begin{aligned} 0.3125 \times 8 &= \boxed{2}.5 \\ 0.5 \times 8 &= \boxed{4}.0 \end{aligned}$$

• From Decimal to Hexadecimal

$$\rightarrow (175)_{10} = (AF)_{16}$$

| | | | |
|-----|--|----|--------|
| 175 | | 16 | 15 = F |
| 10 | | 16 | 10 = A |

$$\rightarrow (0.3125)_{10} = (0.5)_{16}$$

$$0.3125 \times 16 = \boxed{5}.0$$

for more example See slides From 34 to 47

Good luck.