

Lecture 1

statements (proposition):

When we have only one value either (True) or (false), That is considered a statement or proposition.

Ex:

5 \rightarrow neither True nor false so it isn't proposition.

3+2 \rightarrow " " "

3+2= \rightarrow " " "

3+2=5 \rightarrow True so it's a statement

4+1=7 \rightarrow false " " " "

$x+y > 0 \rightarrow$ We don't have the values of x, y , so This case maybe True or false

(we have two values $\begin{cases} \text{true} \\ \text{false} \end{cases}$

not one)

so it's not a statement

⇒ Connectives:

1- Negation النفي (\neg) (\sim)

P	$\neg P / \sim P$
True ①	false ②
false ②	True ①

2- AND " \wedge "

P	q	$P \wedge q$
T	T	T
T	F	F
F	T	F
F	F	F

3- OR " \vee " → inclusive OR " \vee "
 → exclusive OR " $\underline{\vee}$ "

inclusive OR "v"

P	q	$P \vee q$
T	T	T
T	F	T
F	T	T
F	F	F

exclusive OR "v"

$$(P \vee q) \text{ but not } (P \wedge q) = P \veebar q$$

$$(P \vee q) \wedge \neg (P \wedge q) = P \veebar q$$

TRUE يكون في العبارة inclusive OR

P	q	$P \veebar q$
T	T	F
T	F	T
F	T	T
F	F	F

ترتيب الأوليات

الأقواس (inner \rightarrow outer)

النفذ (N) (V)

OR, and

Notes

- Conditional statement:

$P \rightarrow Q$ or $P \Rightarrow Q$
if P happens then Q happens

- Bi-conditional statement:

$P \leftrightarrow Q$ or $P \Leftrightarrow Q$
if P happens then Q happens &
if Q happens then P happens

- OR نفي, and : $\neg \vee \rightarrow \wedge$

EX: $S = (\neg P \wedge Q) \vee R$
 $n = 2^3 = 8$ 2: T, F \leftarrow المتغيرات
3: P, Q, R \leftarrow

P	Q	R	$\neg P$	$\neg P \wedge Q$	$(\neg P \wedge Q) \vee R = S$
T	T	T	F	F	T
T	F	T	F	F	T
F	T	T	T	T	T
F	F	T	T	F	T
T	T	F	F	F	F
T	F	F	F	F	F
F	T	F	T	T	T
F	F	F	T	F	F